

# Physics 101H

## General Physics 1 - Honors



Lecture 4 - 9/7/22

Vectors

# CYPRESS



<https://ultiworld.com/2022/08/30/universe-point-suny-binghamton-vs-william-mary/>

Are you interested in playing ultimate frisbee?



Get in touch! Speak to me or email [womensultimatewm@gmail.com](mailto:womensultimatewm@gmail.com)



# Welcome!

I am **Prof. Monahan**

Pronouns: he/him/his

Email: [cjmonahan@wm.edu](mailto:cjmonahan@wm.edu)

Office: Small Hall 326C

# Am I in the right room?



This course: for students who **intend to major in physics or physical sciences**

I assume you have a strong preparation in mathematics

- Comfortable with **calculus**

**PHYSICS 101** (not this course!) does not assume knowledge of calculus

- Held at the same time
- Uses the same textbook
- Add/Drop deadline is **11:59 pm on Monday September 12**



**DO NOT MISS THIS DEADLINE**

# Problem sets



Problem Set 1 has been posted on **Blackboard**

Due by the **start of class** (i.e. 10:59 am) on **Wednesday 14 September**

Remember

- I will **drop the lowest grade** on your weekly Problem Sets

You can also find tutorials on how to navigate [Expert TA](#) (until Sep 30)

# Problem sets: Expert TA



You must register for Expert TA

- Sign up for PHYS 101-Honors using this registration link  
<http://goeta.link/USA48VA-007792-2VY>
- 14 day free trial period
- Single semester cost ~\$33

SCAN ME



# Problem sets: Expert TA

<http://goeta.link/USA48VA-007792-2VY>



SCAN ME



## How-to-Register

### Course Registration

When registering for a class your instructor will provide you with a registration URL that is unique to that class. It will look similar to the one below.

<http://goeta.link/DEI56MO-AB1234-567>

After entering your URL you will see the initial Course Registration page.

### Registration Information

Code: [REDACTED] Role: Student

Class [REDACTED] Description: [REDACTED]

Wrong class? Click [here](#) to enter a new class code.

#### Step 2: Enter a valid email address.

You must enter the address exactly the same in both fields for confirmation.

**Note:** Most college and universities require you to use your college or university email address (i.e. not your Yahoo or Gmail account). Please use your university e-mail address unless your instructor has directed you otherwise.

Email Address:	<input type="text"/>
Confirm Email:	<input type="text"/>

Note: The entry form above works for both new and existing accounts. If you enter an email address that exists in the system then you will be prompted to enter your password. Ideally, if you have made an account before then you should continue using that account anytime you register for a new class.

- New Expert TA User Registration

# Problem sets: Expert TA



Expert TA problems:

- Ten tries
- You should be able to submit answers to parts of questions
- No partial credit for parts of questions, a part is either right or wrong
- You should be able to access problem sets up to 20 times within the week

# Problem sets: handwritten problem sets



Handwritten problems:

- Partial credit **is** available – make sure you include your working!
- Graded by a graduate student grader

Hints:

- You will lose points if your solution is illegible or a mess
- Pen or pencil acceptable
- If you use a pen, cross through entire lines with a single line
- I strongly recommend you **underline** or **circle** your **final answer**



**MAKING SURE YOUR WORK IS LEGIBLE IS *YOUR* RESPONSIBILITY**

# Problem sets: handwritten problem sets



Submitting handwritten problem sets:

- Produce a **single PDF** of your written notes
  - If you have a scanner, then that is the best option
  - Photos will work - use an app like Adobe Scan to make them legible
- Name your **single PDF file** `lastname_hwXX.pdf`
  - Replace “lastname” with your last name
  - Replace “XX” with the problem set number
- Submit your **single PDF file called** `lastname_hwXX.pdf` to **Blackboard**
  - Go to the appropriate assignment in Blackboard
  - Drag and drop your pdf file to the Attach Files section
  - Hit submit

# Problem sets



Submitting problem sets:

- Produce a **single PDF**
- Name your **single PDF file**  
lastname\_hwXX.pdf
- Submit your **single PDF file**  
lastname\_hwXX.pdf to  
**Blackboard**

General Physics I - Honors (Fall 2022) Assignments

Assignments

Build Content Assessments Tools Partner Content

**Problem Set 0**

Availability: Item is hidden from students. It will be available after Aug 31, 2022 9:59 AM.  
Enabled: Statistics Tracking  
Attached Files: [phys101H\\_ps0.pdf](#) (131.694 KB)

You must submit your Problem Set as a **single PDF** file (it is best to use an app like Adobe Scan or CamScanner).  
Make sure that your solutions are **legible**. You will lose points if they are unclear, illegible or

# Problem sets: philosophy



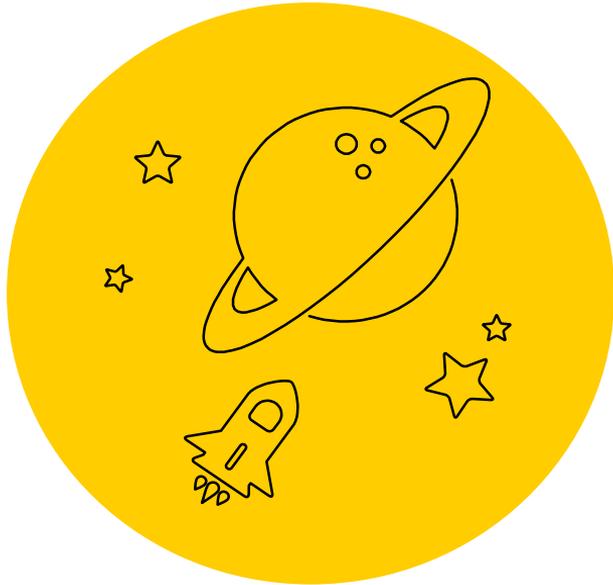
I strongly encourage you to **work together** on problem sets



**MAKE SURE YOU CAN HONESTLY DO THE PROBLEM ON YOUR OWN AFTERWARDS**

- ⦿ Don't look at the solution until you have **tried** to solve the problem
- ⦿ Try to use the solution as **hint** to get started or to get the next step
- ⦿ Even if you rely heavily on the solution or other sources, try to work through **every step** of the problem yourself
- ⦿ As you work through the solution, take it one step at a time and try to **predict the next step** in the solution
- ⦿ If you miss a problem, try to **rework it** and think through what went wrong the first time

# Understanding physics requires solving problems!



You can improve your ability to solve problems through practice

Practising problem solving improves your knowledge and understanding of physics

You will have lots of opportunities to practice problem solving in this course

You **can** get better at physics!



# Summary

## Topics

### Last week

- Course introduction
- Problem solving
- Mechanics survey

### This week

- Vectors
- Kinematics in 1D
- Kinematics in 2D

### Today: vectors [chapter 2]

- Definitions
- Operations
- Representations
- Products

## Announcements

**Today: Problem set 0 due  
Problem set 1 assigned**

# Scalars and vectors



Scalar – number (without direction)

Vectors – number and a direction

- ⦿ Abstract mathematical object
- ⦿ Exist independently of reference frame
- ⦿ Can be represented by an arrow

# Vectors



Two vectors are **equal** if they have the same **magnitude** and **direction**

Vectors live in a **vector space** (an abstract mathematical space), so it does not matter where they are in real space: you can **translate** a vector through real space as long as you don't stretch it or rotate it.



# Vector operations

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We can add vectors! Vector addition is

- ⦿ **Commutative**
- ⦿ **Associative**

We can multiply vectors by constants (numbers/scalars)

We can define negative vectors (multiplication by negative one)

Vector subtraction is the same as adding a negative vector

# Unit vectors



Unit vectors are vectors with a direction and magnitude = one

- provide a way to describe direction, without worrying about length

# Representing vectors



Drawing arrows is not the only way to represent vectors

Can be more quantitative by defining **components** in a **reference frame**

Free to choose a **convenient** reference frame

**Example:** You drive from a coffee shop 2.0 km north and 3.0 km east of your home to the library 4.0 km north and 1.0 km east of your home. What are the magnitude and direction of the displacement vector of your journey?

# Vector operations (again)



We can add vectors by adding components

We can also multiply components by a scalar (i.e. a constant)



**What was the most important concept we covered today?**



# Summary

## Topics

### This week

- Vectors
- Kinematics in 1D
- Kinematics in 2D

### Tomorrow: kinematics in 1D

- Vector products
- Describing motion
- Position, velocity, acceleration

### Today: vectors [chapter 2]

- Definitions
- Operations
- Representations

## Announcements

Today: Problem set 0 due  
Problem set 1 assigned

# PHYSICS 101 - HONORS

Lecture 4 9/7/22

## Scalars and vectors (slide 15)

Vectors ← represent as an arrow  
has magnitude (length)  
points in a direction

Symbolically:  $\vec{a}$  or  $\bar{a}$  or **bold a**  
Magnitude is  $a$  or  $|\bar{a}|$  or  $\|\vec{a}\|$

## Vectors (slide 16)



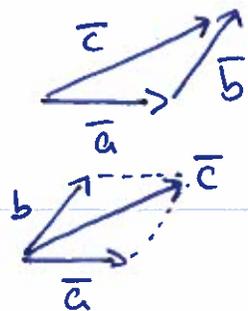
$\bar{a} = \bar{b}$  means  $\bar{a}$  and  $\bar{b}$   
are parallel and have the  
same magnitude

## Vector addition (slide 17)

$$\bar{c} = \bar{a} + \bar{b}$$

head-to-tail method

parallelogram method



commutative

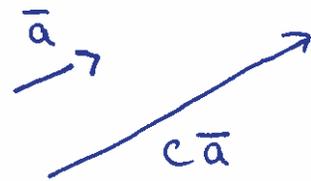
$$\bar{a} + \bar{b} = \bar{b} + \bar{a}$$

associative

$$(\bar{a} + \bar{b}) + \bar{c} = \bar{a} + (\bar{b} + \bar{c})$$

## Vector multiplication (slide 17)

If  $\vec{a}$  is a vector then  $c\vec{a}$  is also a vector, in the same direction, but with magnitude  $c|\vec{a}|$



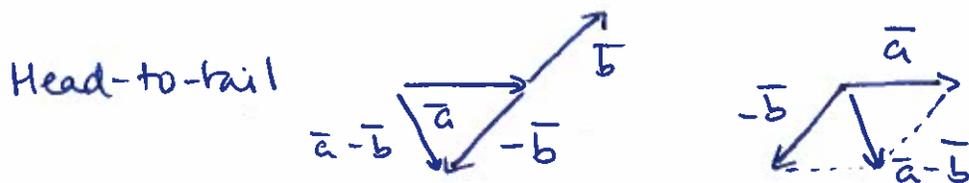
## Negative vectors (slide 17)

$-\vec{a} = (-1) \cdot \vec{a}$



$\vec{a}$  and  $-\vec{a}$  are antiparallel

$$\vec{a} - \vec{b} = \vec{a} + (-\vec{b}) = \vec{a} + (-1)\vec{b}$$



## Unit vectors (slide 18)

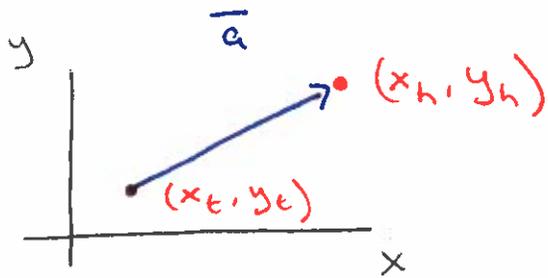
$$\hat{a} = \frac{1}{|\vec{a}|} \vec{a} = \frac{\vec{a}}{|\vec{a}|}$$

↑ denote unit vector with a "hat"

← to create a unit vector divide a vector by its magnitude

## Representing vectors (slide 19)

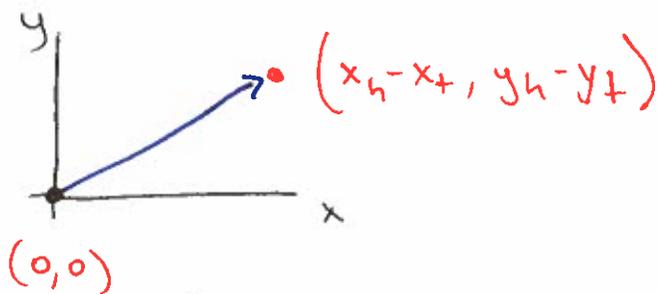
Start with a reference frame



head and tail specified  
by pairs of points in space

But we are free to choose a convenient reference frame.

For example we can define the origin as the start of the vector (equivalent to subtracting coordinates of the tail)



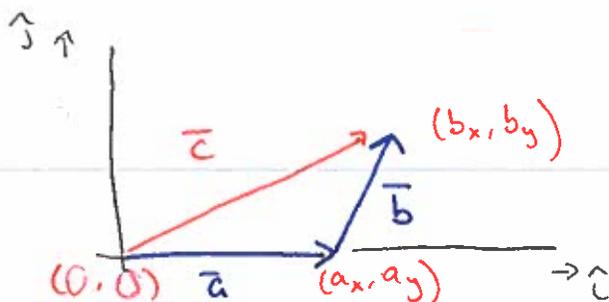
(slide 18)

## Adding vectors (slide 21)

$$\vec{a} = a_x \hat{i} + a_y \hat{j}$$

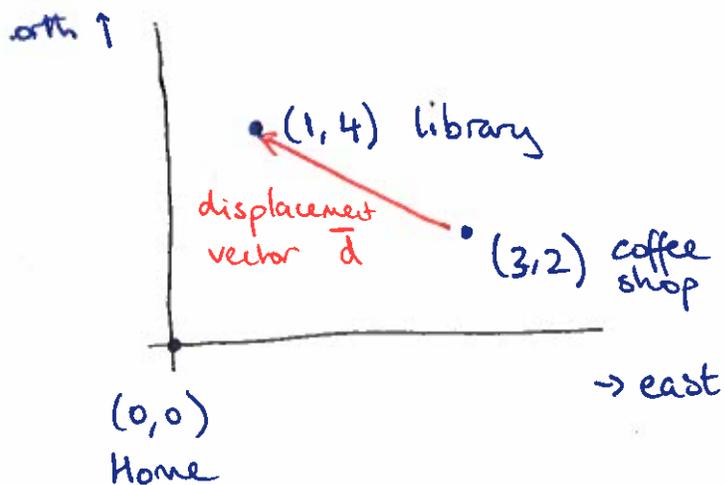
$$\vec{b} = b_x \hat{i} + b_y \hat{j}$$

$$\vec{c} = \vec{a} + \vec{b} = (a_x + b_x) \hat{i} + (a_y + b_y) \hat{j}$$



## Vector example (slide 20)

Step 1. Choose reference frame ← set origin = home!



$$\begin{aligned}\vec{d} &= (1, 4) - (3, 2) \\ &= (1 - 3, 4 - 2) = (-2, 2) \text{ km}\end{aligned}$$

Magnitude is

$$|\vec{d}| = \sqrt{(-2)^2 + 2^2} = \sqrt{8} \approx \boxed{2.8 \text{ km}}$$

direction is

-2 km east, 2 km north

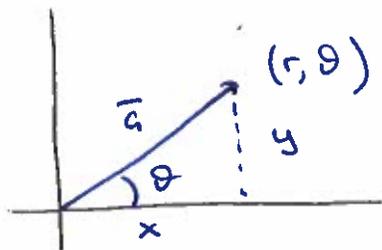
## Vector multiplication (slide 21)

$$\begin{aligned}c\vec{a} &= c(a_x \hat{i} + a_y \hat{j}) \\ &= (ca_x) \hat{i} + (ca_y) \hat{j}\end{aligned}$$

just multiply each component!

## Polar coordinates

see Lecture 5



$$r = |\vec{a}| = \sqrt{x^2 + y^2}$$

and

$$\tan \theta = \frac{y}{x}$$

or

$$x = r \cos \theta \quad y = r \sin \theta$$